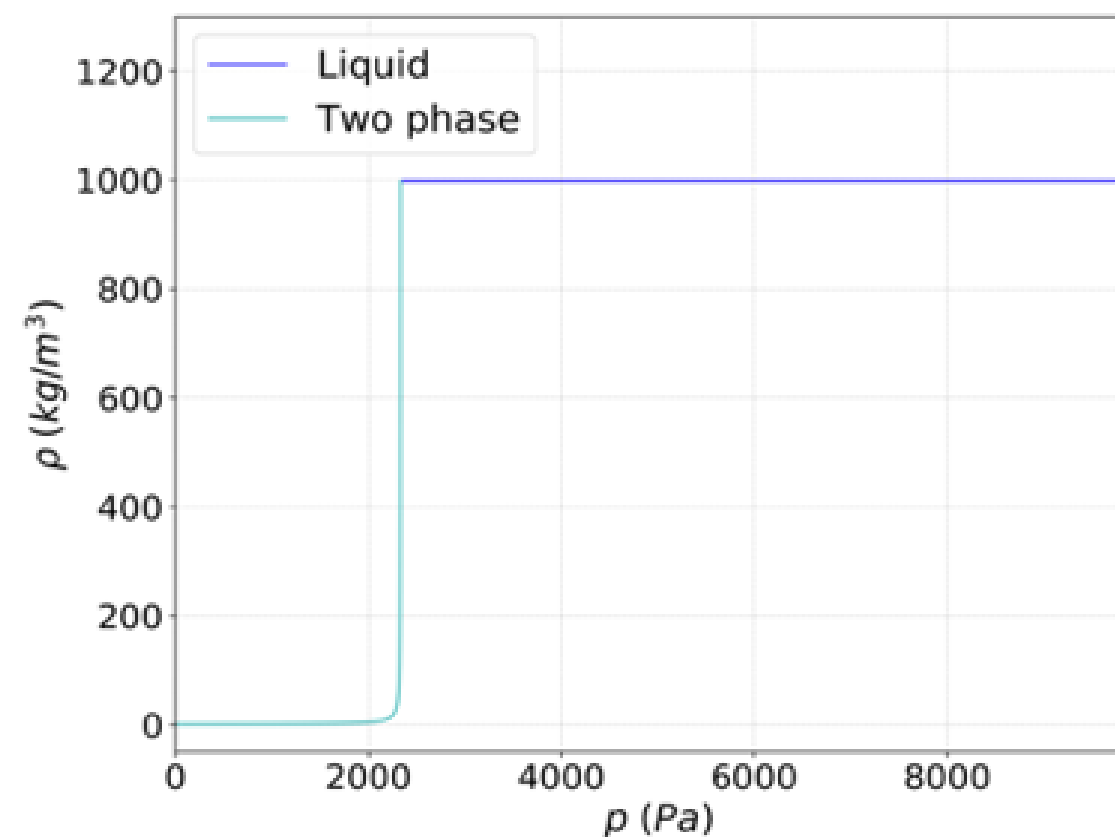


Stability of a semi-implicit compressible cavitation solver (CPS) in YALES2

Himani GARG, Giovanni GHIGLIOTTI, Guillaume BALARAC

Cavitation model: Single fluid model (mixture of liquid and vapor in two phase regions)



According to Barotropic law: $p = f(\rho)$

We decouple the energy equation from system of equations, and solve only continuity and momentum equation

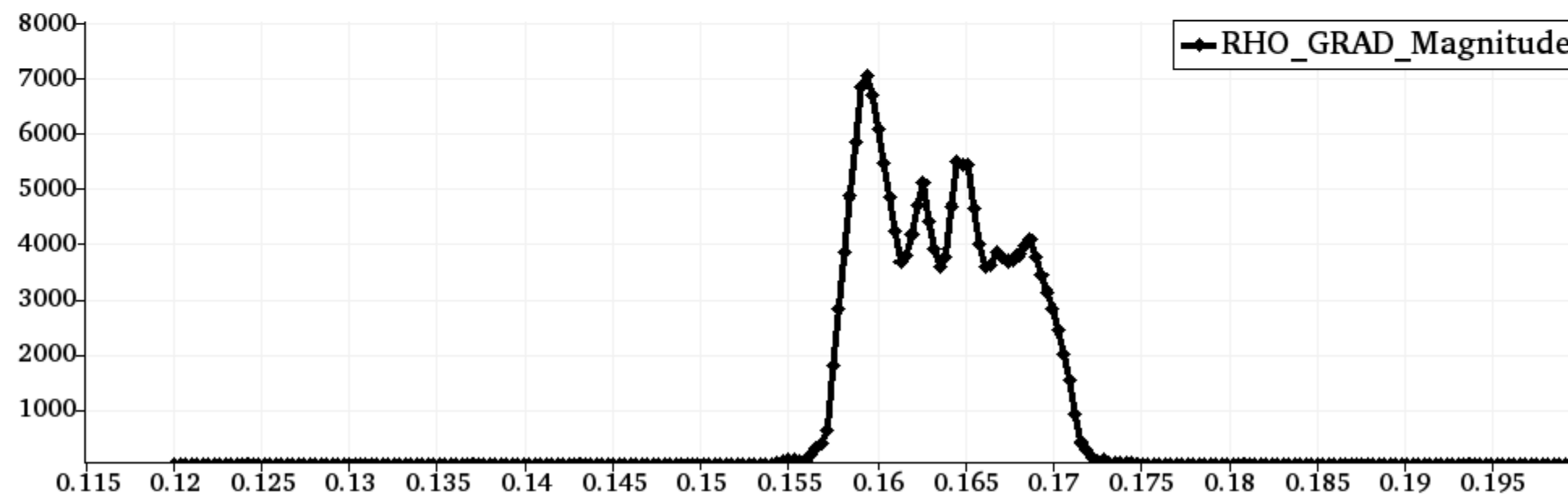
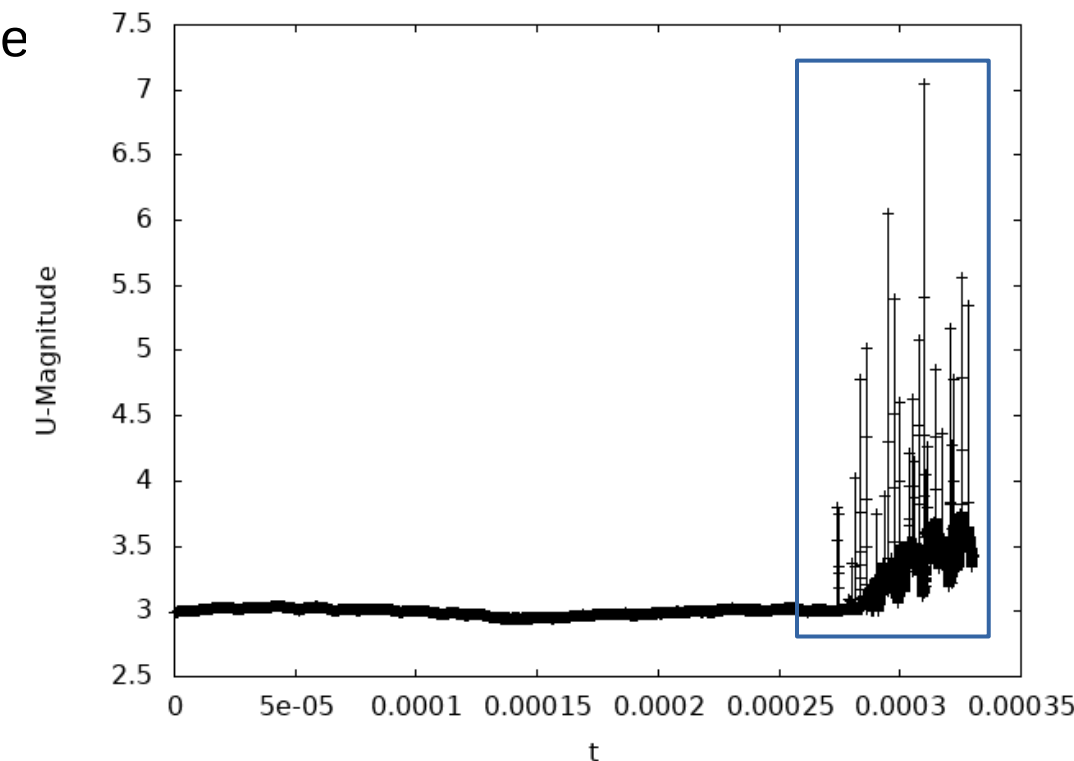
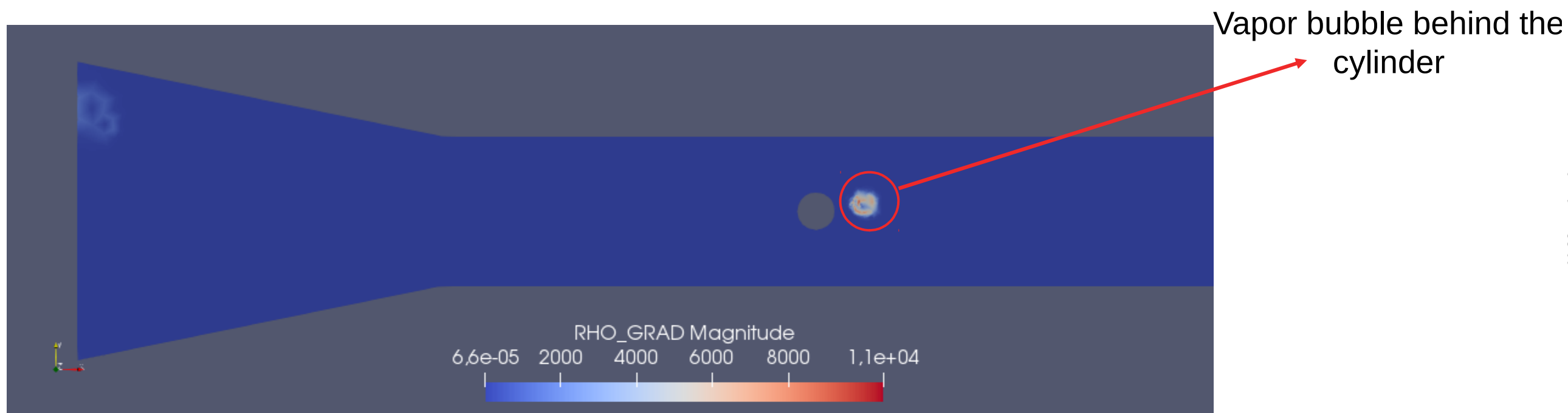
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \bar{\mathbf{u}}) = 0$$

$$\frac{\partial \rho \bar{\mathbf{u}}}{\partial t} + \nabla \cdot (\rho \bar{\mathbf{u}} \otimes \bar{\mathbf{u}}) = -\nabla p + \nabla \cdot \bar{\bar{\boldsymbol{\tau}}}$$

~~$$\frac{\partial \rho E}{\partial t} + \nabla \cdot (\rho E \bar{\mathbf{u}}) = -\nabla \cdot (p \bar{\mathbf{u}}) + \nabla \cdot (\bar{\bar{\boldsymbol{\tau}}} \bar{\mathbf{u}}) + \nabla \cdot (\lambda \nabla T)$$~~

Objective: to study cavitating flows behind obstacles

Problem: Code is highly unstable in the presence of cavitation!!!



Observations:

- **High velocity & steep density gradients** in the presence of cavitation
- Generated shock waves due to cavitation are probably too stiff for inlet and outlet boundary conditions.

Goal:

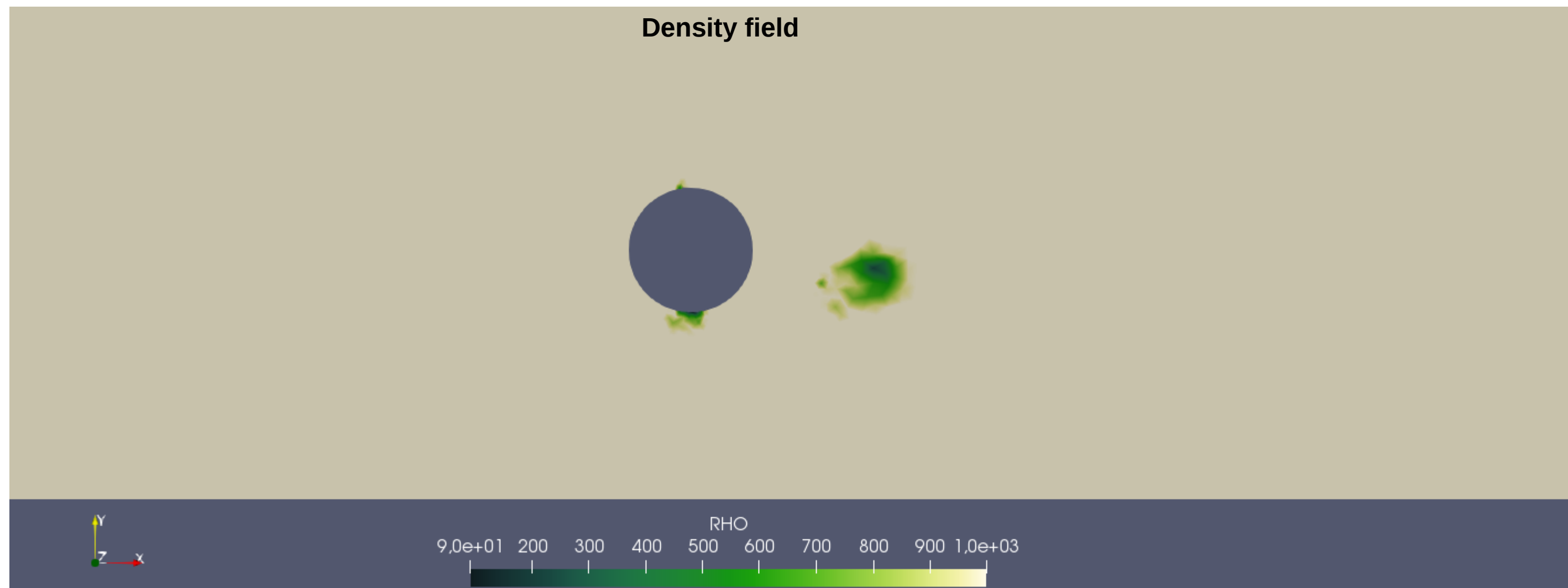
Discretization of steep gradients in time and space accurately!

Objective: to study cavitating flows behind obstacles

Observations/Achievements:

- Put some limiters on density/pressure, to avoid negative values and results in non-oscillatory behavior.
- Ultimately, cavitating flow behind an obstacle is observed.

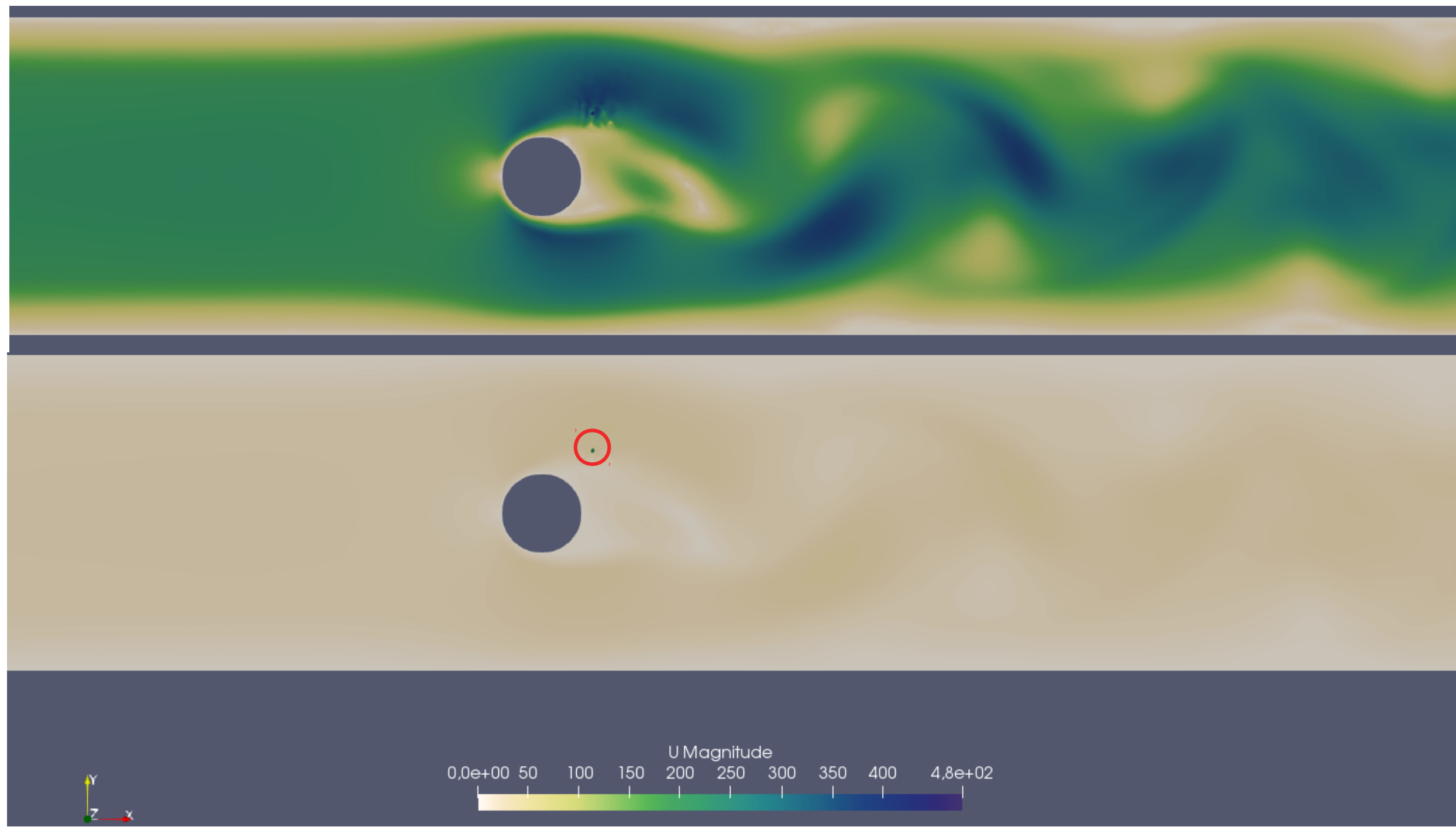
$$ACFL_{BND} = 0.1, ACFL = 1, dt = 5.268 \times 10^{-8}$$



Ongoing work

Observations/Implementations:

- Despite these stability parameters, we have observed that between one iteration to another, **the code is unstable, due to sudden increase in velocity (locally, at a single node)**



$$U_{max} = 30 \quad t_n$$

$$U_{max} \approx 500 \quad t_{n+1}$$